

Comparing Efficient Nearest Neighbor Techniques for Support Vector Machines in Large Feature Spaces

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 - Efficient Pivot Selection
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Introduction

- We address the problem of efficiently finding nearest neighbors in order to train a support vector machine classifier in a large feature space.
- SVM in a nutshell.

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- We follow Camelo et.al strategy for solving for SVs. using K-NN.
- Solving the K-NN query is costly in large feature space. We follow a pivot strategy and Chavez, et.al. proximity preserving order algorithm.
- We refine the pivot strategy by choosing appropriate (base) pivots following Micó et.al.
- We experimentally explore the relative merits of the pivot strategy against the more refined strategy and the state of the art benchmark: LIBSVM.

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Camelo, et.al

- Finding SV is costly.
- They propose solving for SV on small subsamples and look to K-NN of SV.
- They demonstrate two theorems that rationalizes their sampling strategy.

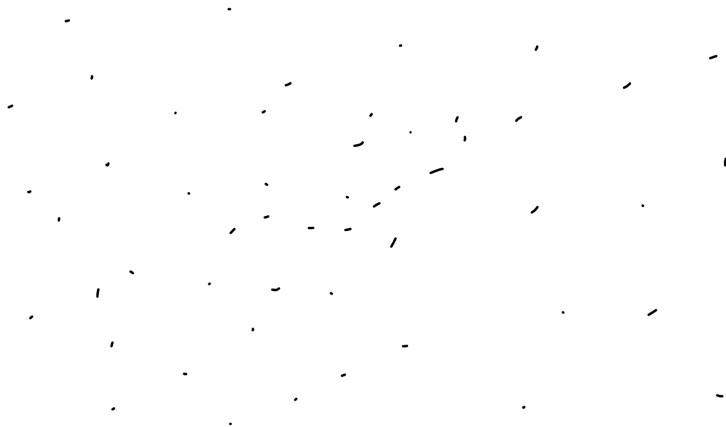
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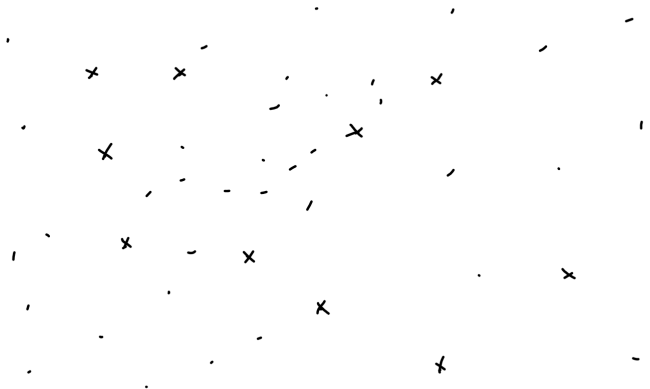
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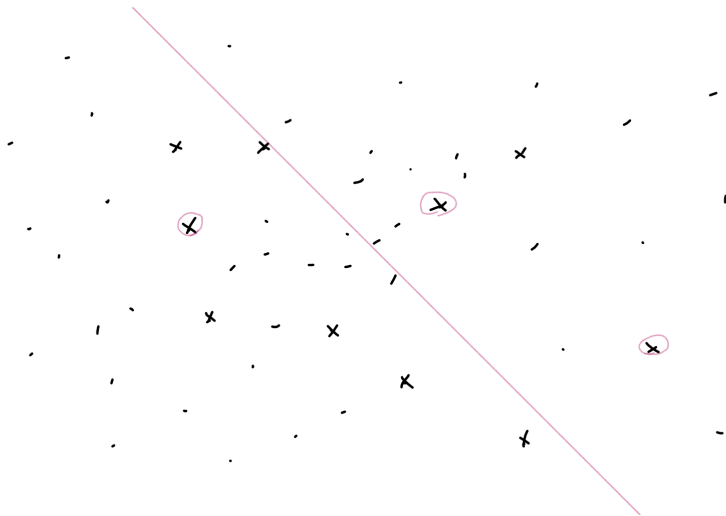


$$\gamma^{(0)} = \delta D$$

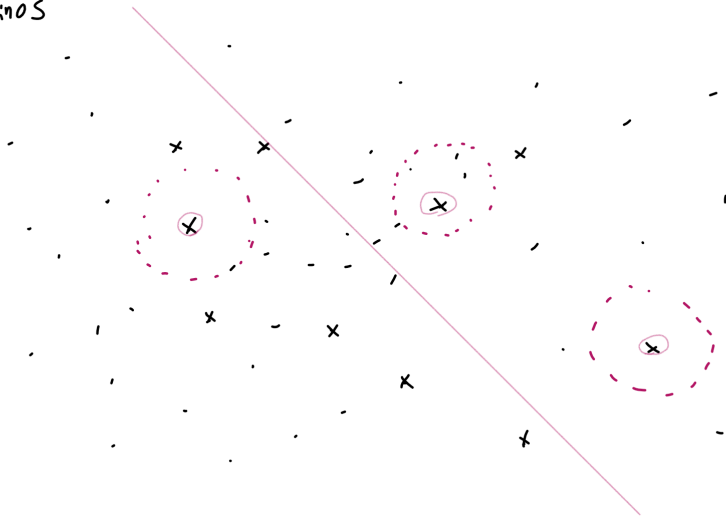
$$S^{(0)} = D \setminus \gamma^{(0)}$$



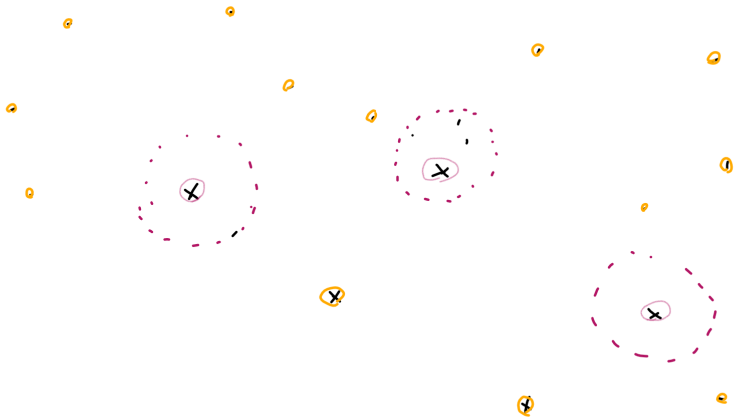
$\psi_{\uparrow}^{(0)}$



K-Vecinos

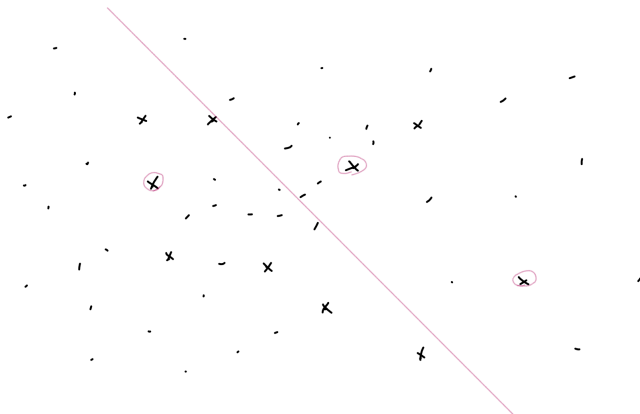


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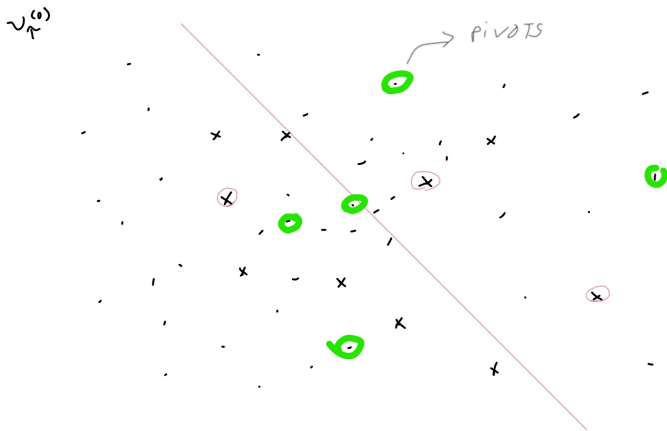


Chavez, et.al

- K-NN queries are expensive specially in high dimensional feature spaces.

 $\mathcal{V}^{(q)}$ 

- Pivot strategy:



pivots.jpg

- Proximity preserving order:

- 1 Then, for each $d \in \mathcal{D}$, the distance to $p_i \in \mathbb{P}$ is calculated. For each d , the p_i are ordered according to their distance to d . Therefore we have for each d a permutation π_d of the elements of $\mathbb{P}$.

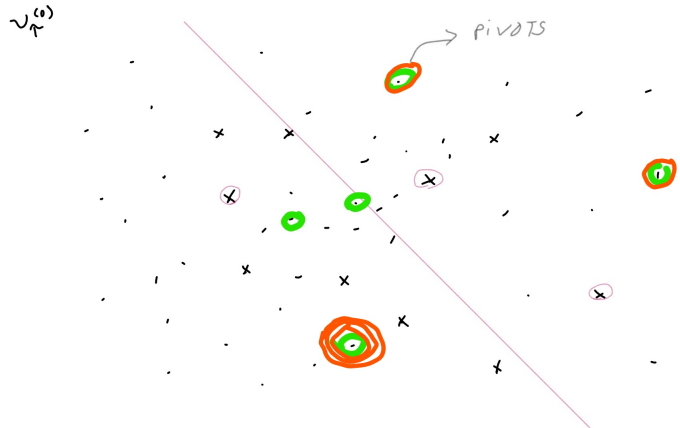
- 2 *Spearman's Footrule*. Let $\pi_d(p_i)$ be the position of p_i in π_d , then

$$F(\pi_d, \pi_{d'}) = \sum_{1 \leq i \leq k} |\pi_d(p_i) - \pi_{d'}(p_i)|$$

- 3 Example: $\pi_d = (p_2, p_1, p_3)$, $\pi_{d'} = (p_1, p_3, p_2)$ then
 $F(\pi_d, \pi_{d'}) = |(2 - 1)| + |(1 - 3)| + |(3 - 2)|$

Micó, et.al

- Random vrs. well separated pivots



base pivots.jpg

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Data

Table 1. Dataset description.

Daraset	Train size	Test size	Features
real-sim	16,525	4,131	14,462
COM	8,205	2,172	9,892
CC	8,224	2,153	9,906

